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Brown Peterson Homology An Introduction

BROWN-PETERSON HOMOLOGY: AN INTRODUCTION AND ...

Introduction 1 Part I An Introduction Section 1 Complex bordism 3 Section 2 Formal groups 12 Section 3 Brown-Peterson homology 14 Part II A Sampler Section 4 Cooperation and stable homotopy 23 Section 5 Associated homology theories 34 Section 6 Morava's little structure theorem and the Conner-Floyd conjecture 37 Section 7

Introduction

UNSTABLE SPLITTINGS RELATED TO BROWN-PETERSON COHOMOLOGY J MICHAEL BOARDMAN AND W STEPHEN WILSON Abstract A new and relatively easy proof of various unstable splittings as-associated with Brown-Peterson cohomology is presented 1 Introduction In [Wil75], unstable splittings were constructed for the spaces in the Omega

Brown-Peterson cohomology from Morava K-theory

1 Introduction We will be concerned with a number of cohomology theories related to Brown-Peterson cohomology and Morava K-theory We x a prime pfor the dura- all Eilenberg-MacLane spaces to the list of spaces whose Brown-Peterson co-homology is completely described but whose Brown-Peterson homology is still a mystery

PROJECTIVE DIMENSION AND BROWN-PETERSON HOMOLOGY

PROJECTIVE DIMENSION AND BROWN-PETERSON HOMOLOGY DAVID COPELAND JOHNSON~ and W STEPHEN WILSON\$ (Received 1 February 1973) $BP(X)$ is the reduced Brown-Peterson homology of a finite complex X for a fixed prime p INTRODUCTION Let $MU, ()$ be the reduced complex bordism theory, the homology theory associated to the unitary Thorn spectrum MU

Brown-Peterson cohomology of $\Omega_1 S_{2n}$

Brown-Peterson cohomology of $\Omega_1 S_{2n}$ Takuji Kashiwabara Laboratoire Jean Dieudonné, U R A au C N R S No 168 Parc Valrose, 06034, France and Department of Mathematics, Kyoto University, 606 Kyoto Japan August, 1994 Abstract In this paper we compute $BP(QS_{2n})$ 1 Introduction Throughout the paper, $H(-)$ denotes the ordinary cohomology

ON THE BROWN-PETERSON COHOMOLOGY OF $BP_{\mathbb{U}_n}$ IN ...

1 Introduction Let p be an odd prime number, and let BP be the corresponding Brown-Peterson spectrum The Brown-Peterson cohomology $BP_*(BG)$ of the classifying space of a compact Lie group or a finite group G is the subject of various works such as Kameko and Yagita [8], Kono and Yagita [11], Leary and Yagita [12], and Yan [21]

BROWN-PETERSON AND ORDINARY COHOMOLOGY ...

groups are studied Using these, Brown-Peterson cohomology and Morava K -theory are computed for many concrete cases All these cases have properties similar as torsion free Lie groups or finite groups, eg, $BP_{\text{odd}}(BG) = 0$ Introduction Let BG be the classifying space of ...

Tyler Lawson May 4, 2018 - arXiv

ation in mod-2 homology and show that this canonical subalgebra is not closed under it This allows us to conclude that the 2-primary Brown-Peterson spectrum does not admit the structure of an E_n -algebra for any $n \geq 12$, answering a question of May in the negative 1 Introduction

The Morava K-Theories of Eilenberg-MacLane Spaces and the ...

Introduction Of the many generalized homology theories available, very few are computable in practice except for the simplest of spaces Standard homology and K -theory are the only ones which can be considered somewhat accessible In recent years, complex cobordism, or equivalently, Brown-Peterson homology, has become a useful tool for

Operations and Morava's Extraordinary K-Theories

Let BP be the Brown-Peterson spectrum for the fixed prime p It is a ring spectrum which represents the homology theory $BP, ()$ constructed in [1, 7, 21] $H^*(BP; \mathbb{F}_p) \cong A/(Q_0)$ where A is the mod p Steenrod algebra and (Q_0) is the two-sided ideal generated by the Bockstein

BP-HOMOLOGY OF ELEMENTARY 2-GROUPS: BP-MODULE ...

Introduction and results Let $BP()$ denote Brown-Peterson homology localized at 2 Its coefficient groups BP are a polynomial algebra over $\mathbb{Z}(2)$ on classes $v_j, j \geq 1$, of grading $2(j-1)$ Let $v_0 = 2$ As was done in [6] and [8], we consider $N_k BP BP(B\mathbb{Z}/2)$, which is a BP-direct summand of $BP(B(\mathbb{Z}/2)_k)$ We determine the BP

ON THE $[p]$ -SERIES IN BROWN-PETERSON HOMOLOGY

The coefficients of the $[p]$ -series for Brown-Peterson homology lie in products of prime invariant ideals of BP , The particular product of ideals containing a_s , the dimension- $2s$ coefficient, depends directly on the p -adic expansion of $s+1$ 1 Introduction

W. Stephen Wilson

Brown-Peterson homology: an introduction and sampler Number 48 in CBMS Regional Conference Series in Mathematics American Mathematical Society, Providence, Rhode Island, 1982 [21] W S Wilson Towards $BP(X)$ In S Gitler, editor, Symposium on Algebraic Topology in Honor of

Introduction - CiteSeerX

THE BP-THEORY OF TWO-FOLD PRODUCTS OF PROJECTIVE SPACES JESUS GONZ' ALEZ AND W STEPHEN WILSON' 1 Introduction In [KWa, KWb] the need for the Brown-Peterson ...

On Brown-Peterson Cohomology of QX

On Brown-Peterson cohomology of QX Introduction Given a spectrum X and a generalized cohomology theory h with $h^*(X)$ known, what can we say about $h^*(\Sigma^i X)$ where $\Sigma^i X$ denotes the i th infinite loop space The mod p ordinary homology of such a space was computed by Kudo and Araki in the case $p = 2$ [2] and by Dyer and Lashof in the case p is odd [9]

THE MORAVA K-THEORY AND BROWN-PETERSON ...

Brown-Peterson cohomology, as well as all of the intermediary cohomology theories, E , of these spaces We give two descriptions of the answer, both of which turn out to be surprisingly nice One part of our first description is just the im- Introduction The purpose of this paper is to understand, (in particular, to calculate) various

The $BP\langle n \rangle$ Homology of $H\mathbb{Z}/p$ -Spaces

homotopy unit In this paper we will study, for each prime p , the Brown-Peterson homology, $BP^*(X)$, of X when (X, μ) is a 1-connected H -space and $H^*(2X)$ has no p -torsion Here O_X is the loop space of X and $H^*(\)$ denotes ordinary homology with \mathbb{Q} coefficients (\mathbb{Q}_p are the integers localized at the prime p)

JUN 29 1972

everything about the Brown-Peterson theory has been as nice as could be hoped for We will push on further in that direction $\mathbb{Z}(p)$ is the integers localized at p , ie, rationals with denominator prime to p Main Theorem (3.3) The $\mathbb{Z}(p)$ (co)homology of the zero component of $BP\langle n \rangle$ has no torsion and is a polynomial algebra for n even

Calculating obstruction groups for E ring spectra

homology In particular, for the 2-primary Brown-Peterson spectrum we give a chain complex that calculates the first obstruction groups, locate the first potential genuine obstructions, and discuss how some of the obstruction classes can be interpreted in terms of secondary operations 1 Introduction The mod- p homology of an E

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INTRODUCTION : #1 Brown Peterson Homology An Introduction Publish By Wilbur Smith, Brown Peterson Homology An Introduction And Sampler introduction 1 part i an introduction section 1 complex bordism 3 section 2 formal groups 12 section 3 brown peterson homology 14 part ii a sampler section 4 cooperation and stable homotopy 23 section 5 associated